

Simplified Testing Methods for Hybrid Powertrains



SIEMENS



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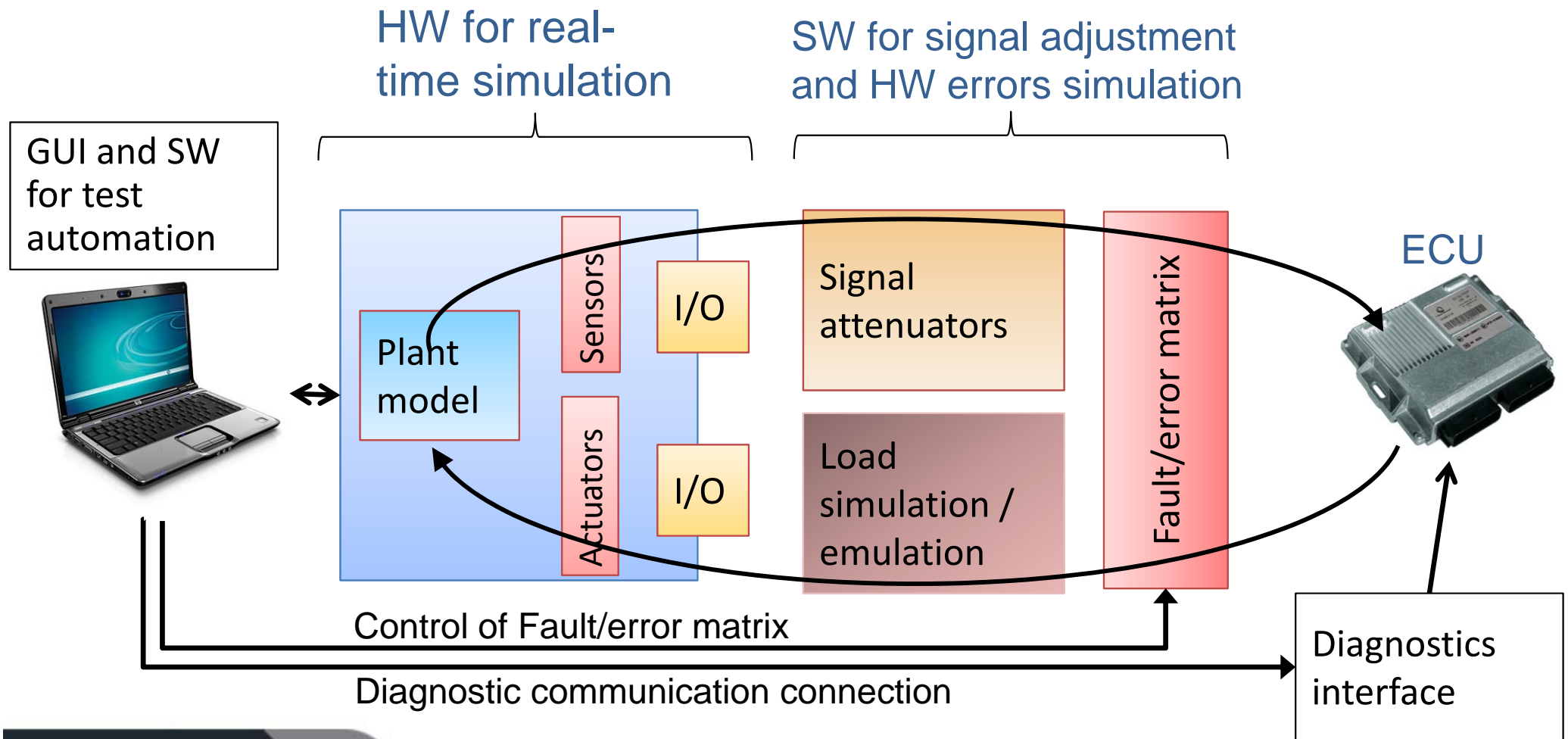
How can the method be simplified?

- By using standard (well-known) tools
 - Usually already qualified!
- By reducing the need for safety functions
- By the automatization of processes
 - Repeating the same test for several times
 - Changing only some inputs into tested HW/SW
- By performing tests on ground

How can the cost of testing be reduced?

- By reusing existing HW/SW
 - Tools need to be qualified!
- By replacing full devices with active loads
 - Using HiL systems
 - Applying emulation approaches
 - Separating unit from the vehicle and testing is possible, all other systems are emulated
- By performing tests on ground

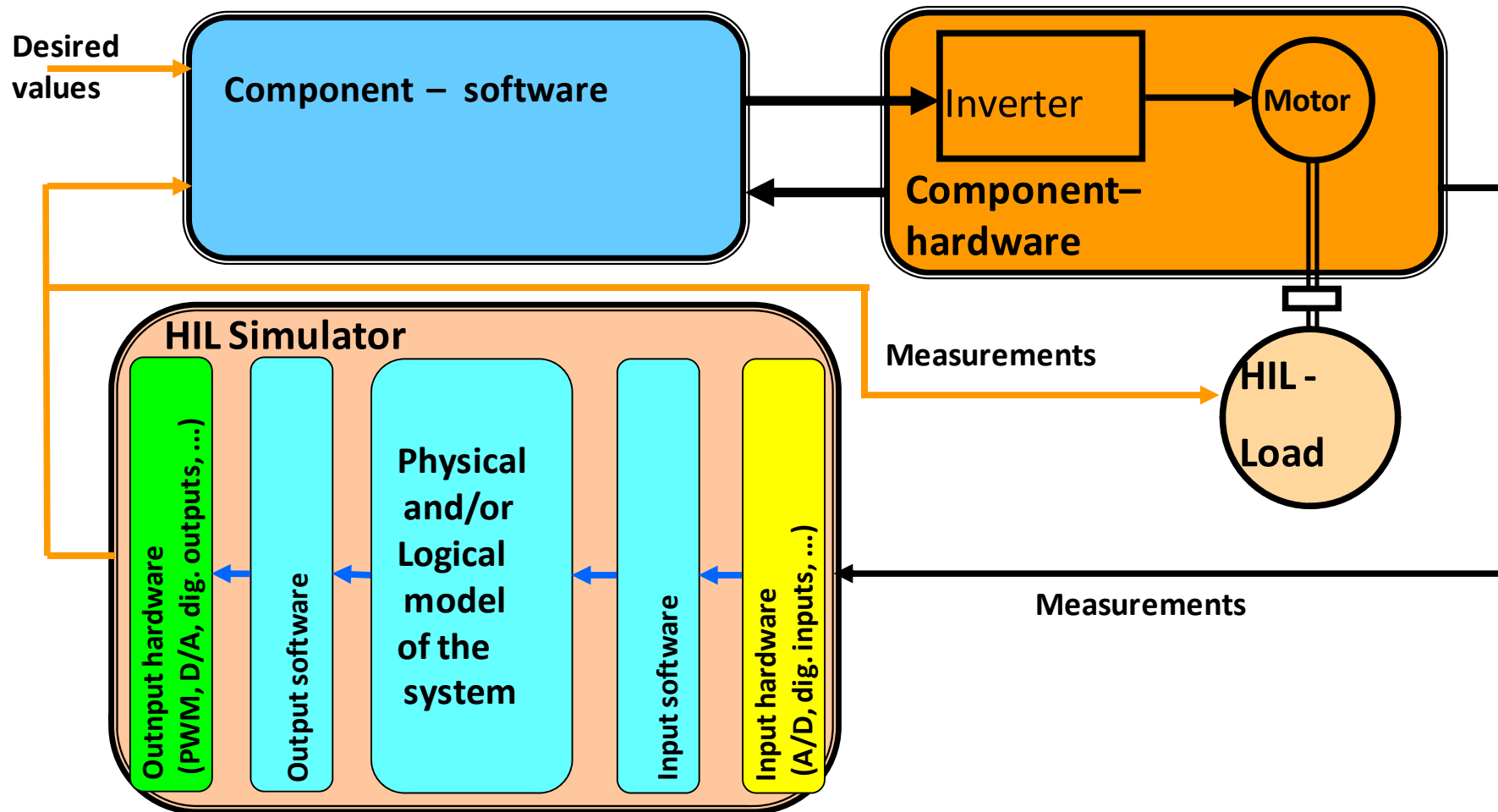
HiL (Hardware-in-the-Loop) system



Emulation of loads

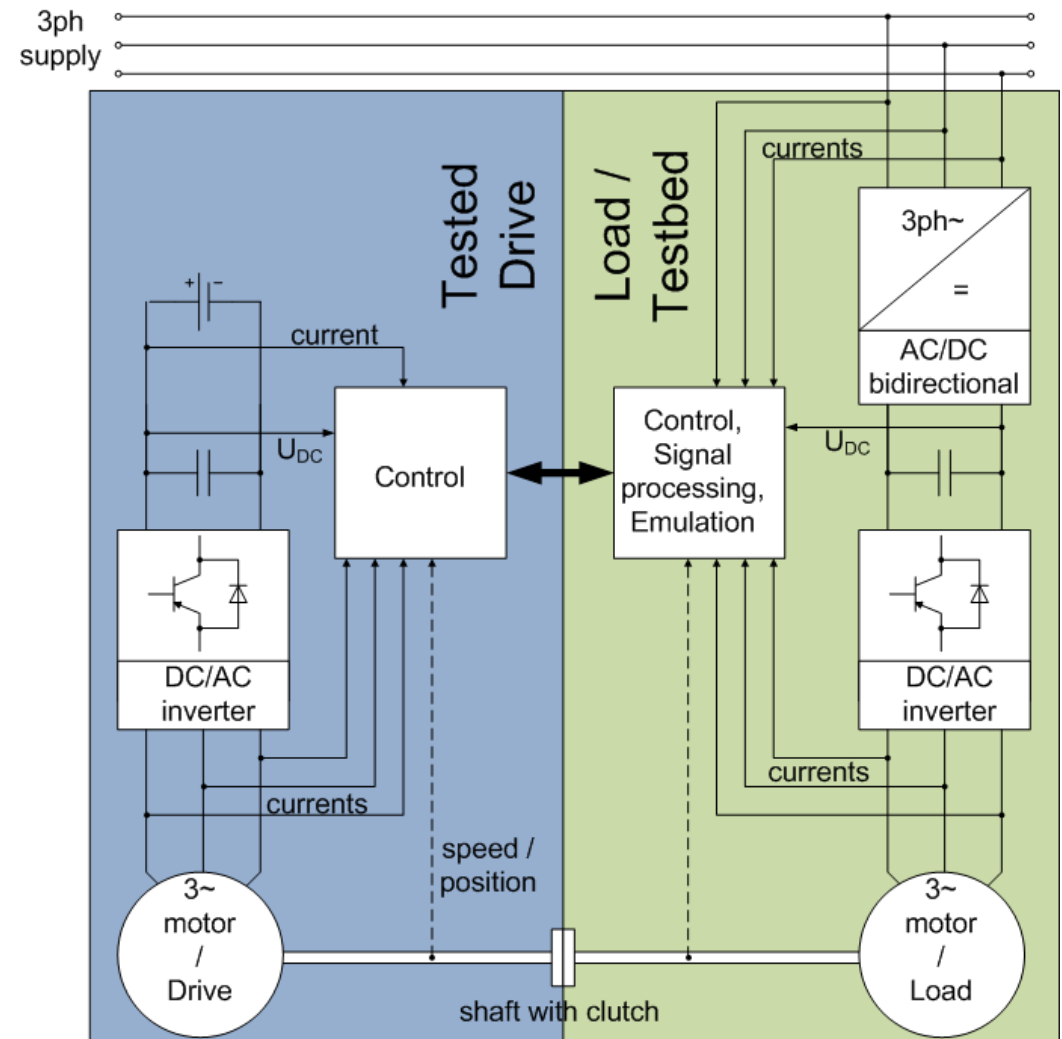
- Types of loads (also sources):
 - Mechanical loads
 - Electrical loads
 - Mixed loads
- Approaches:
 - Static emulation
 - Dynamic emulation
- Requirements-based testing
 - Black box!

HIL system in load emulation

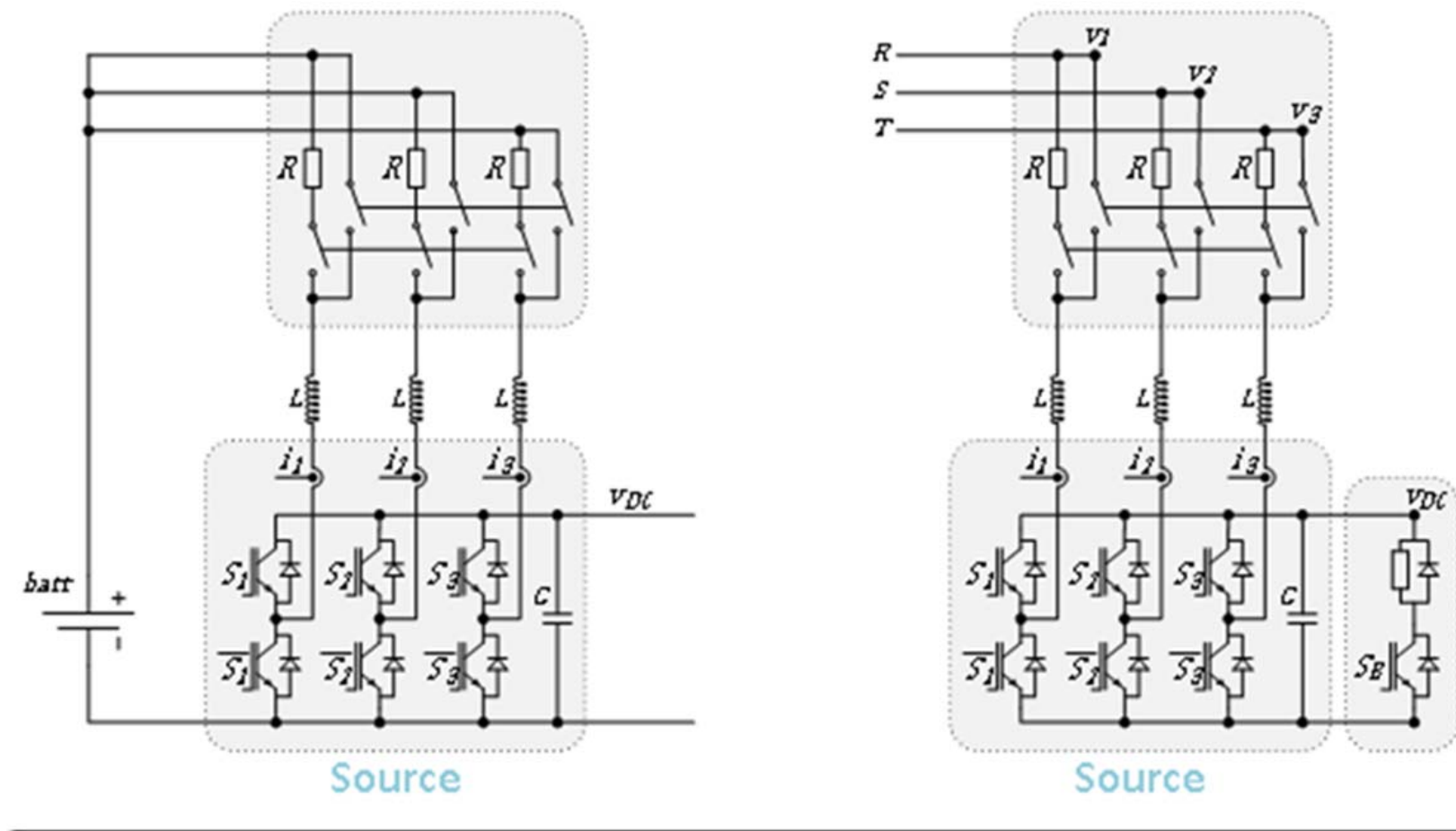


Setup – electrical – drives & batteries

- Two motors
 - Drive
 - Load / Testbed
- Load is connected to 3ph supply
 - Grid used instead of power dissipation
- Drive is powered by battery

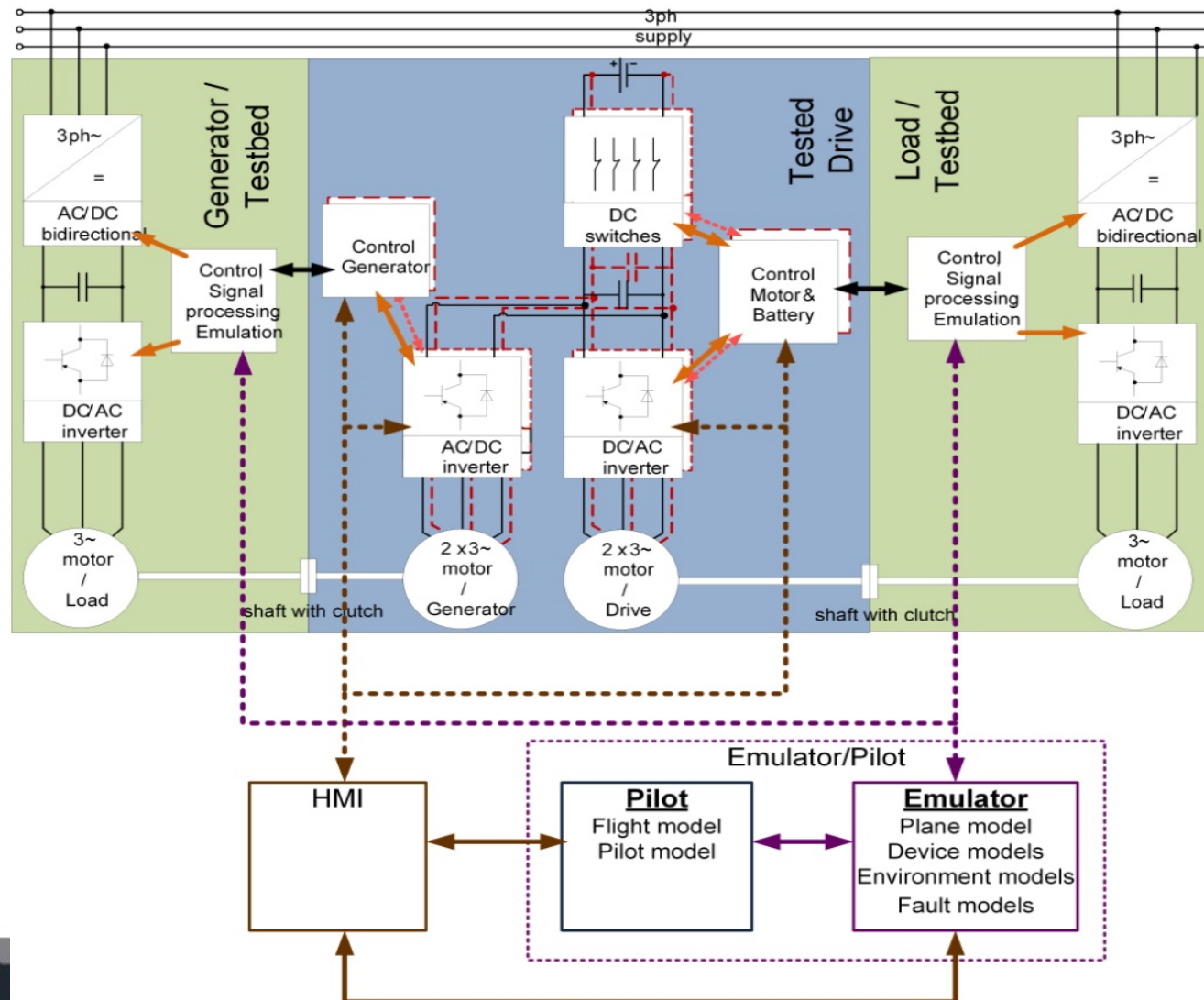


Setup – electrical – testing of batteries

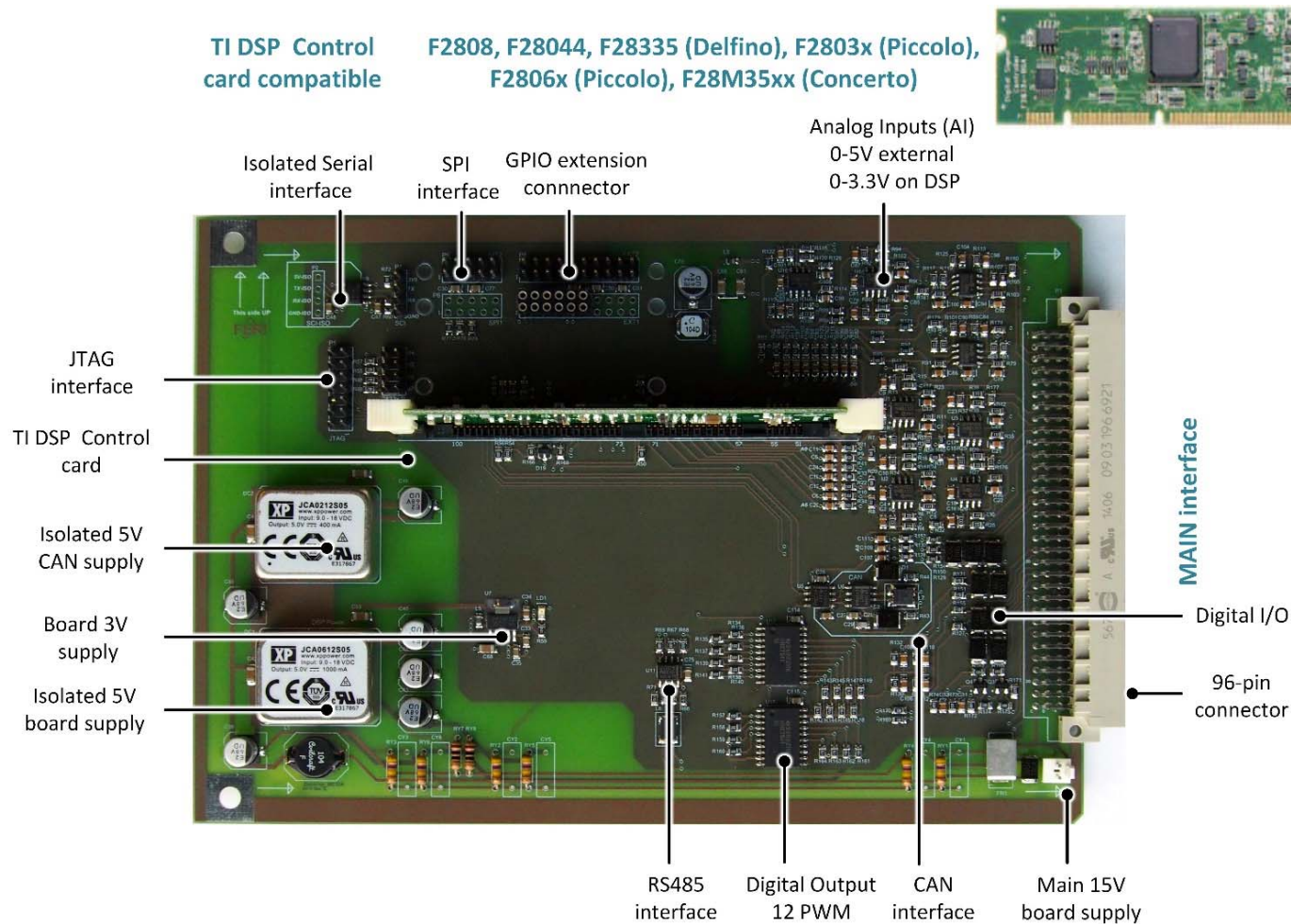


Battery can be connected to same circuit as 3ph PFC!

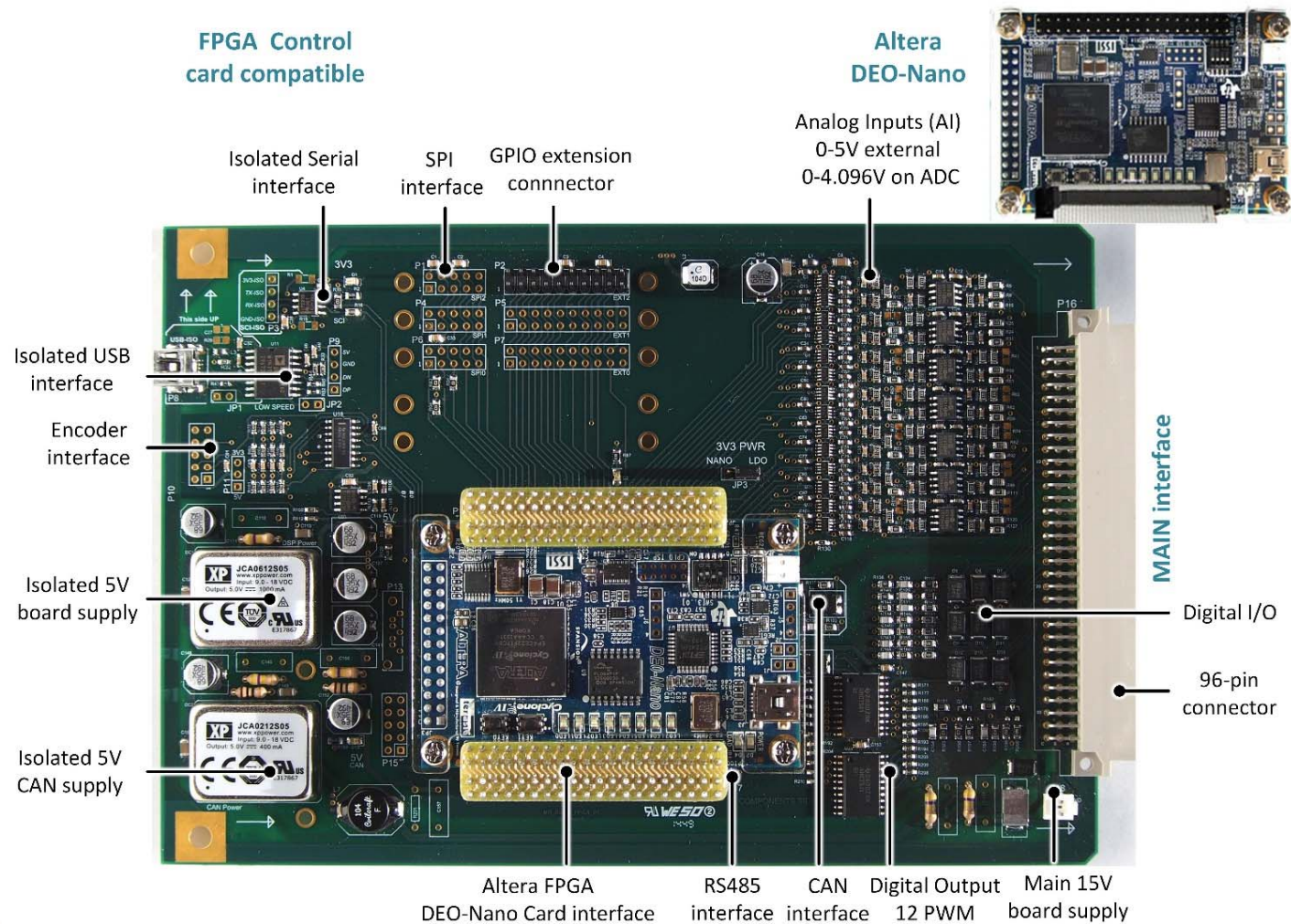
Setup – drivetrain (drive & generator & batteries, **no ICE**)



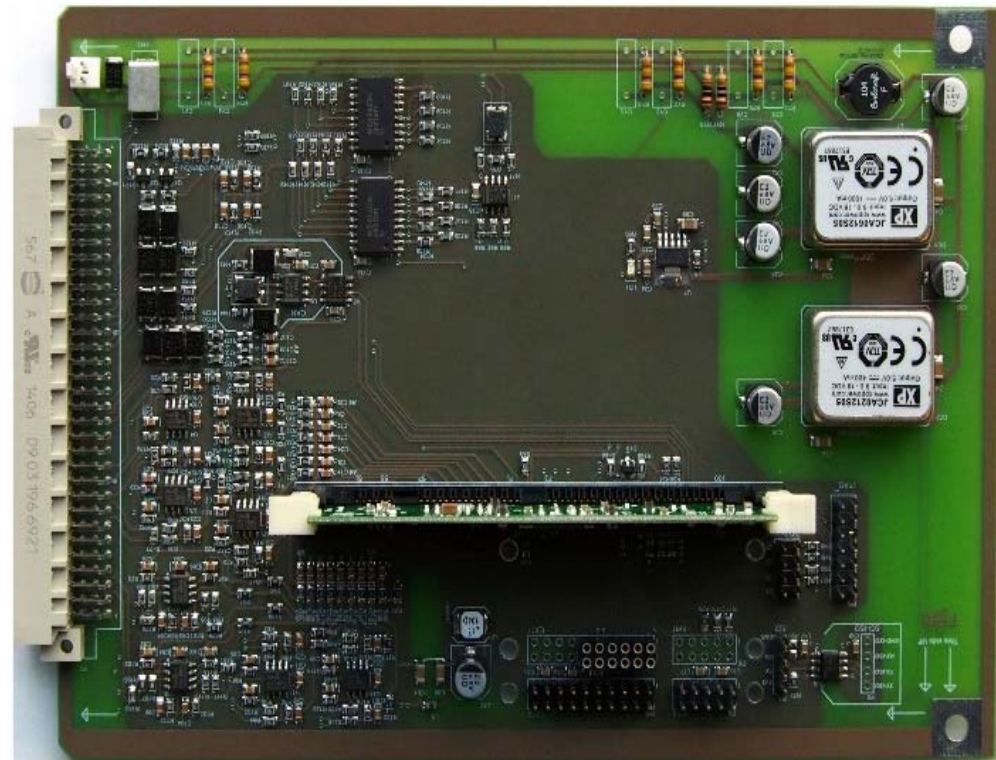
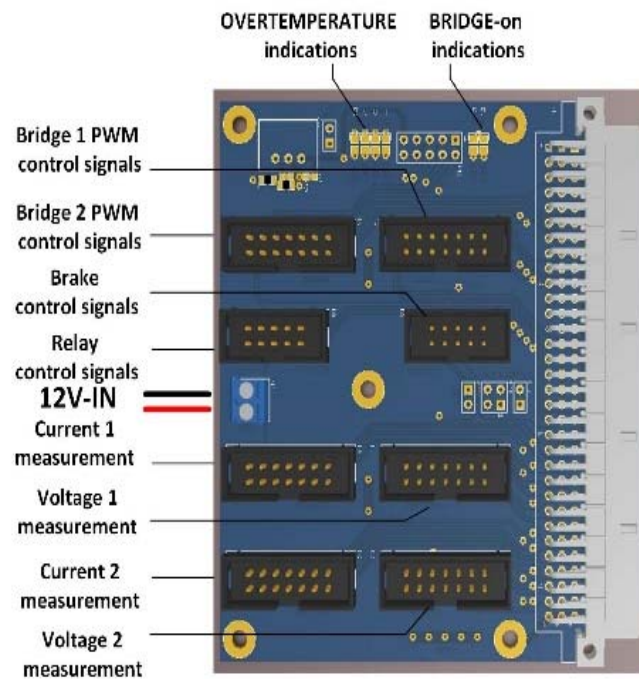
Microcontroller card



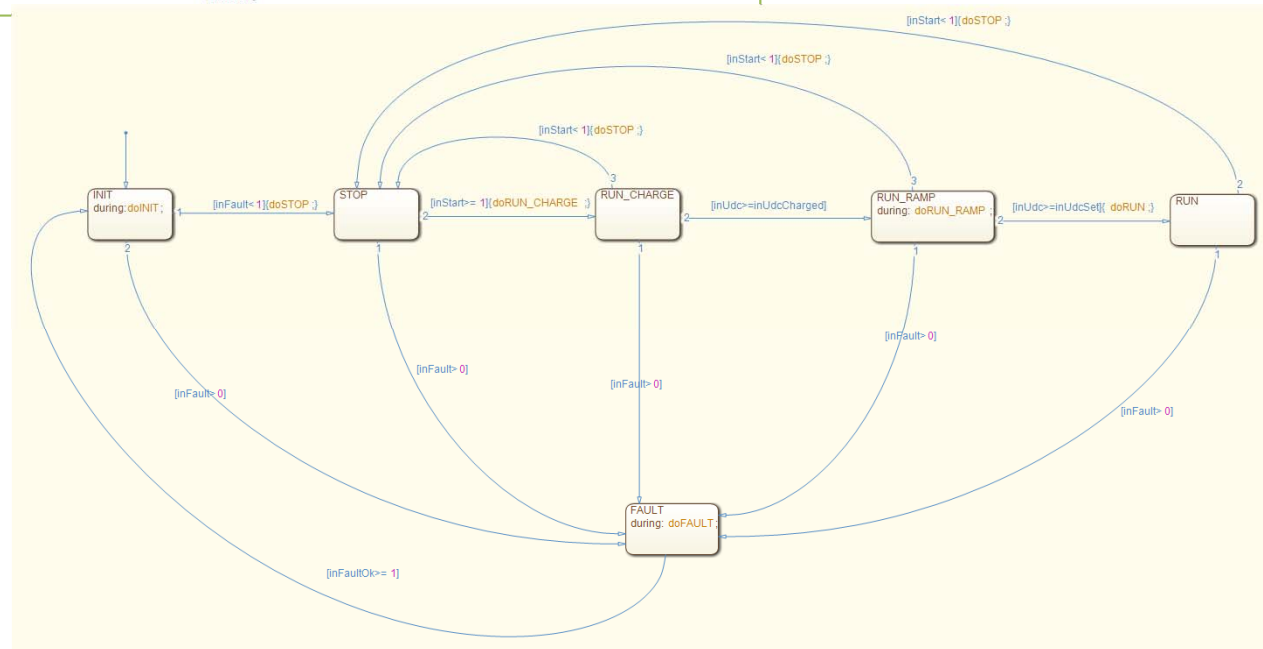
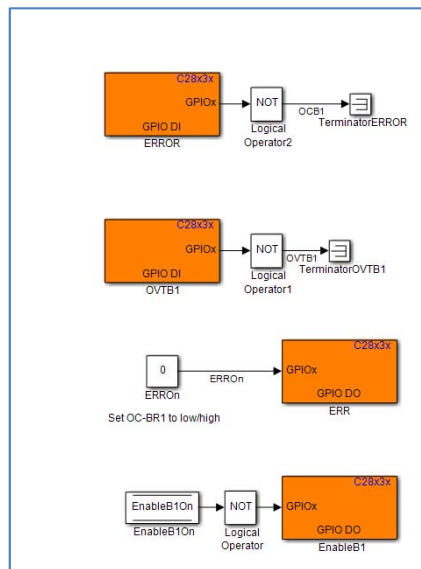
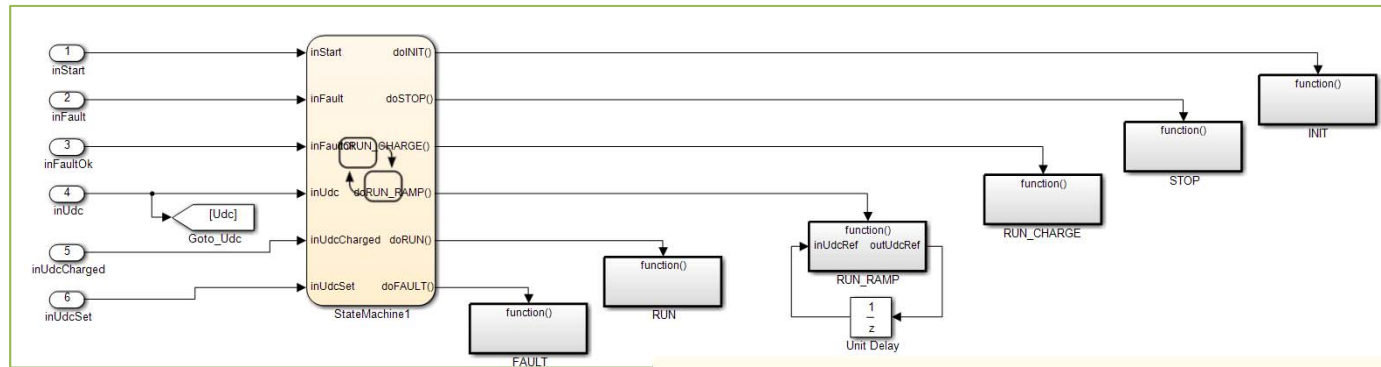
FPGA card



Board & module



Use of states, I/O



Static emulation of mechanical loads

- Classical approach for the measurement of electric motors characteristics
- Control systems can be tested
- Testing is possible with constant or stationary loads
- “Open-loop” emulation

Static emulation – some loads

- Basic principle:

$$T_e - \cancel{T_L}^{\nearrow} = J_m \frac{d\omega}{dt} + B_m \omega$$

- Various load types:

- Linear friction: $T_L = B_v \omega$

- Static friction: $T_L = B_{st} \operatorname{sign}(\omega)$

- Air resistance: $T_L = B_{air} \omega^2$

Static emulation - disadvantage

- The method is only practical for the testing of stationary operation.
- It fails in cases of:
 - Nonlinear systems
 - Systems with changing inertia

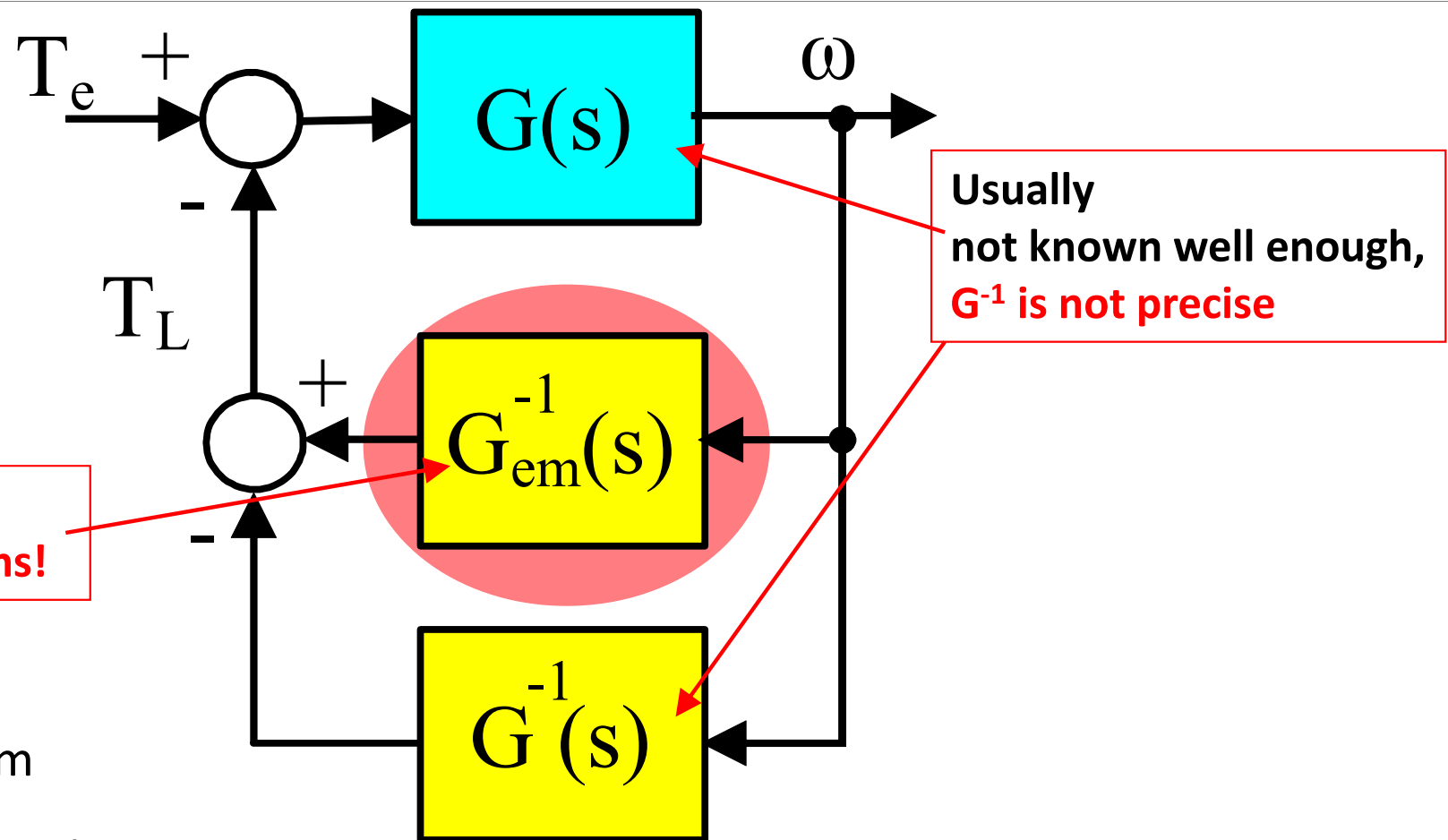
$$T_L = (J_{em} - J_m) \frac{d\omega}{dt} + (B_{em} - B_m) \omega$$

Numerical derivation would be required!

Dynamic emulation of mechanical loads

- Same hardware as for static emulation can be used.
- Only software needs to be upgraded.
- Control systems can be tested under dynamic conditions
- “Closed-loop” emulation

Dynamic emulation ... - basic principle



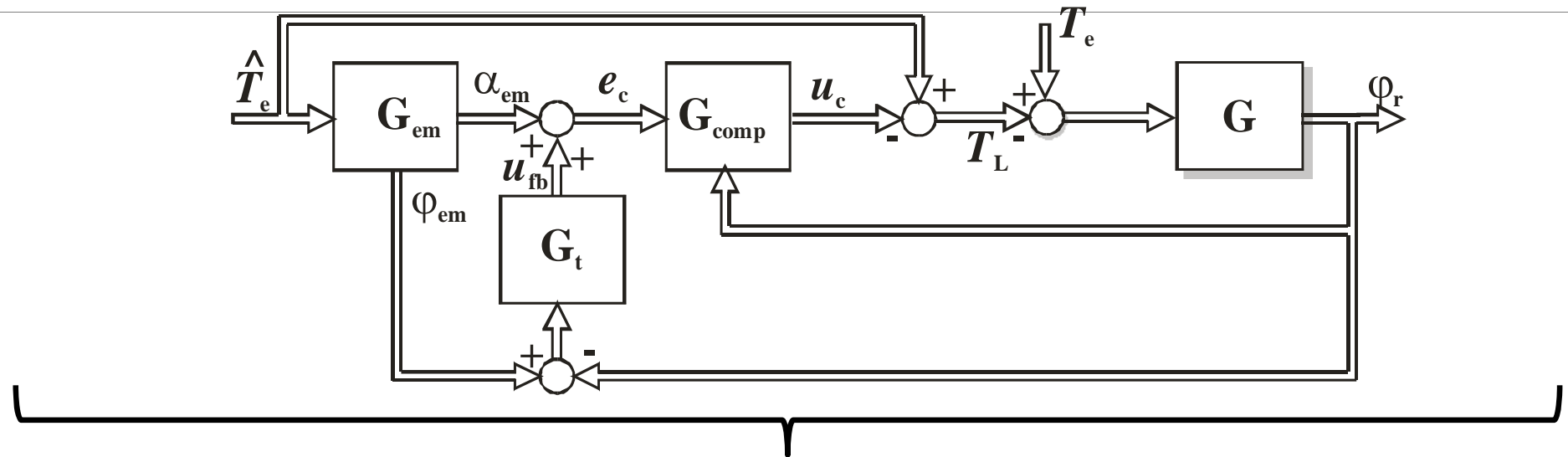
Hard to get for
Non-linear systems!

Usually
not known well enough,
 G^{-1} is not precise

$G(s)$ – actual system

$G_{em}(s)$ – emulated system

Dynamic emulation ... – applied principle

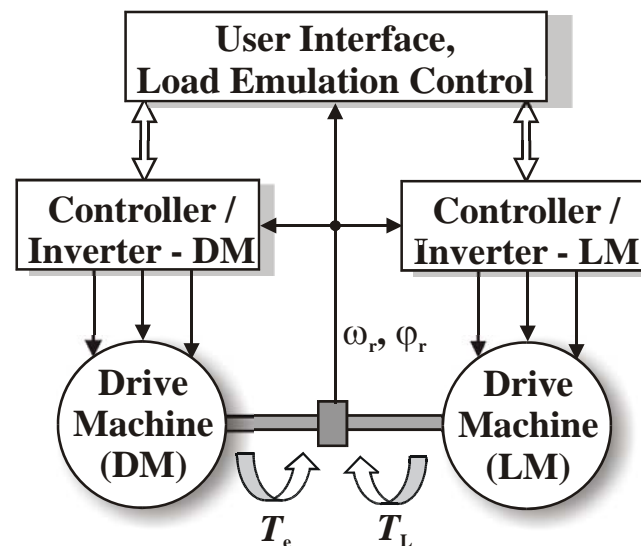


$G(s)$ – actual system

$G_{em}(s)$ – emulated system

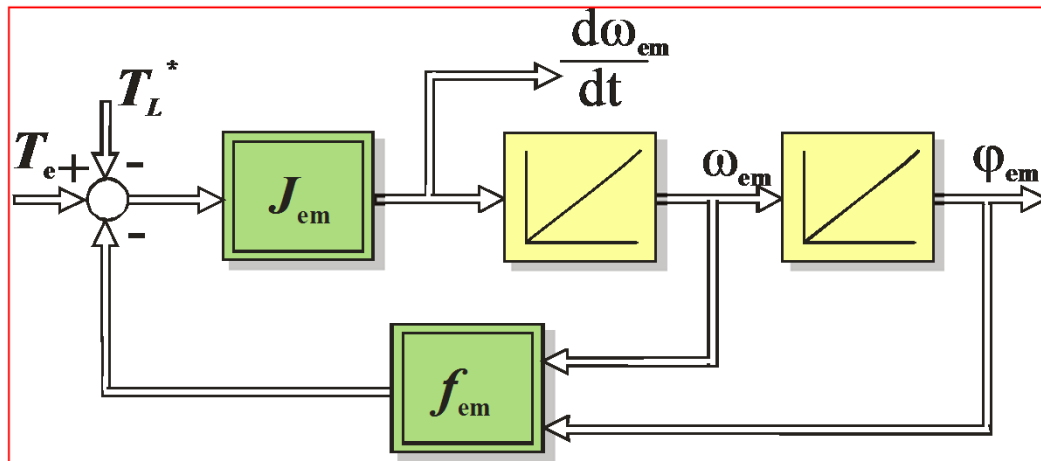
$G_t(s)$ – torque controller

$G_c(s)$ – compensation algorithm



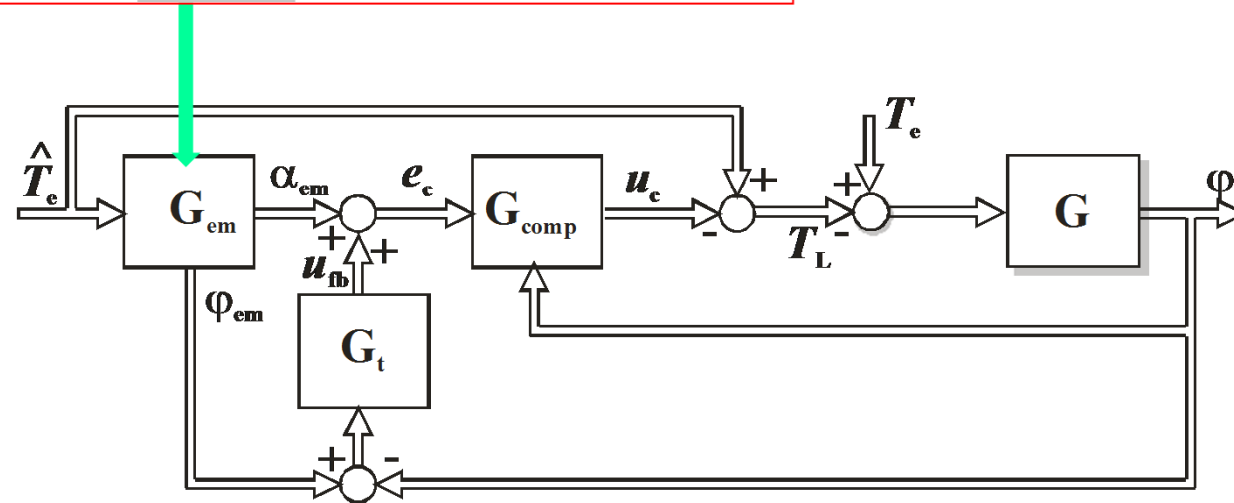
**Additional
feedback control
is used ($G_t(s)$)**

Dynamic emulation ... – applied principle – emulated load



$$G_{em}(s) = \frac{\varphi_{em}(s)}{\hat{T}_e(s)} :$$

$$= \begin{cases} \frac{d\omega_{em}}{dt} = \alpha_{em} = J_{em}^{-1}(\omega_{em}, \varphi_{em}) [T_e - T_L^* - f_{em}(\omega_{em}, \varphi_{em})] \\ \frac{d\varphi_{em}}{dt} = \omega_{em} \end{cases}$$



Dynamic emulation ... – some loads

- Linear load emulation

$$J_{em} \frac{d\omega_{em}}{dt} + B_{em} \omega_{em} = T_e - T_L^*$$

$$\frac{d\varphi_{em}}{dt} = \omega_{em}$$

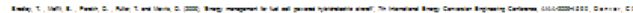
- Nonlinear load emulation

$$J_{em} \frac{d\omega_{em}}{dt} + B_{em} \omega_{em} + mgl \sin(R\varphi_{em}) = T_e - T_L^*,$$

$$\frac{d\varphi_{em}}{dt} = \omega_{em}$$

- Electric vehicle emulation

$$\frac{d\omega_{em}}{dt} = \frac{T_e - RT_b - Rr(C_a R^2 r^2 \omega_{em}^2 + B\omega_{em} + mg \sin \alpha)}{J_e + R^2(J_w + mr^2)}$$


$$\frac{dh}{dt} = v \sin(\gamma)$$
$$\frac{dv}{dt} = \frac{F_{prop} \cos(\alpha) - D}{m} - g \sin(\gamma)$$
$$\frac{d\gamma}{dt} = \frac{F_{prop} \sin(\alpha) + L}{mv} - \frac{g}{v} \cos(\gamma)$$
$$L = \frac{1}{2} \rho_a v^2 S_w (C_{L,\alpha} \alpha + C_{L,0})$$

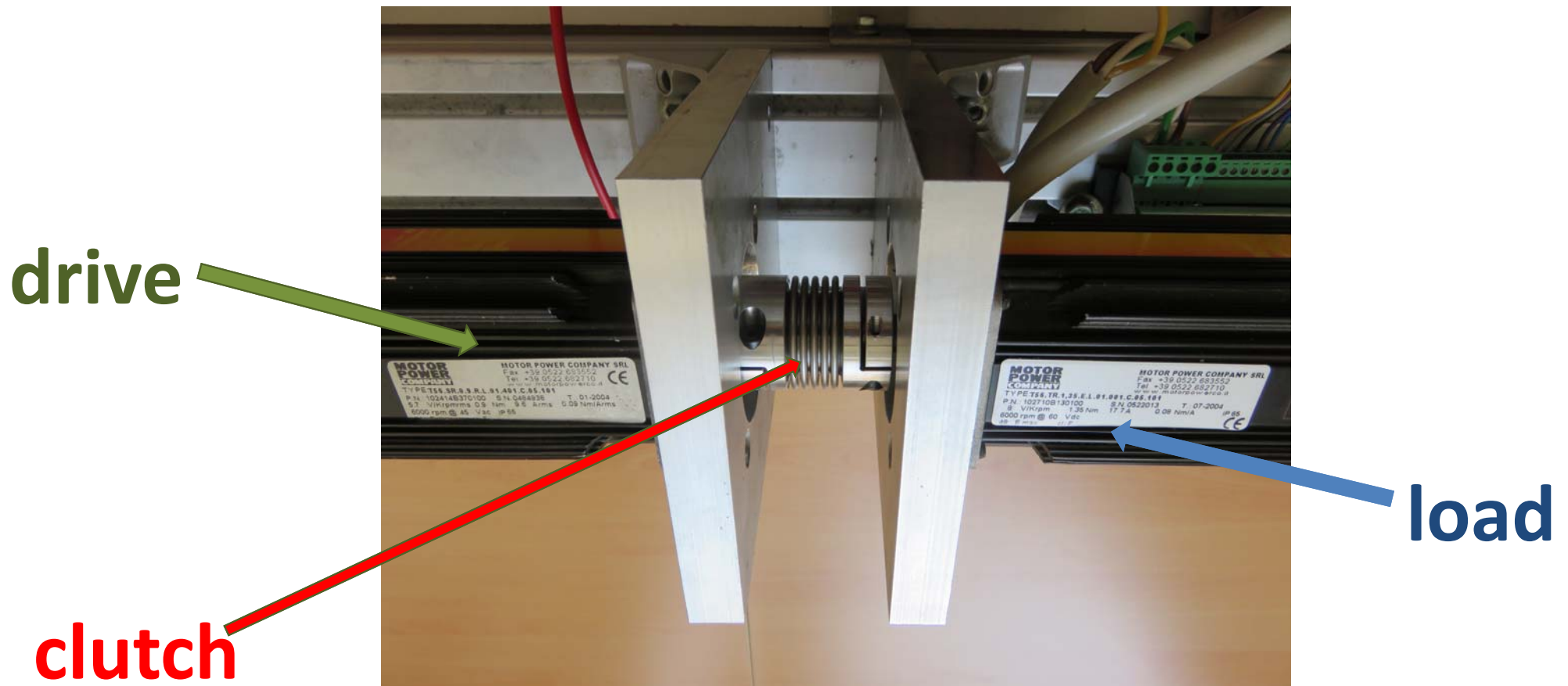
$$D = \frac{1}{2} \rho_a v^2 S_w (C_{D,\alpha} \alpha + C_{D,0})$$

$$F_{prop} = \rho_a \left(\frac{\omega}{2\pi} \right)^2 C_T d^4$$

$$T_{prop} = \rho_a \left(\frac{\omega}{2\pi} \right)^2 C_T d^5.$$

$$J_{drive} \frac{d\omega}{dt} = T_{drive} - T_{friction} - T_{prop}$$

HIL system – drive and load



Not always practical for high powers (and in planes – propeller!)

Producing load torque with propeller

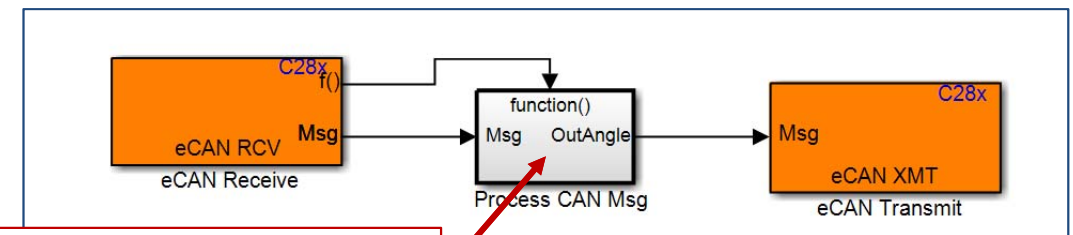
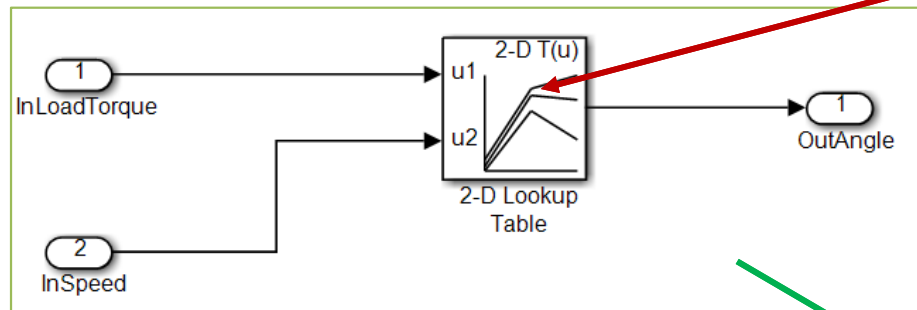
Propeller torque:

$$T_{prop} = (C_L \cos(\beta - \alpha) - C_D \sin(\beta - \alpha)) \frac{1}{2} \rho_a A_{prop} r \left(\frac{r\omega}{\cos(\beta - \alpha)} \right)^2$$

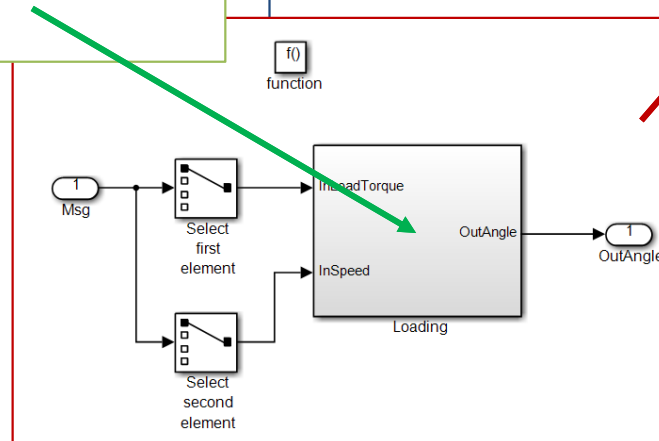
Can be rewritten as:

$$T_{prop} = f((\beta - \alpha), \omega)$$

**Inverse function not that simple –
Lookup-table (LUT) should be used**

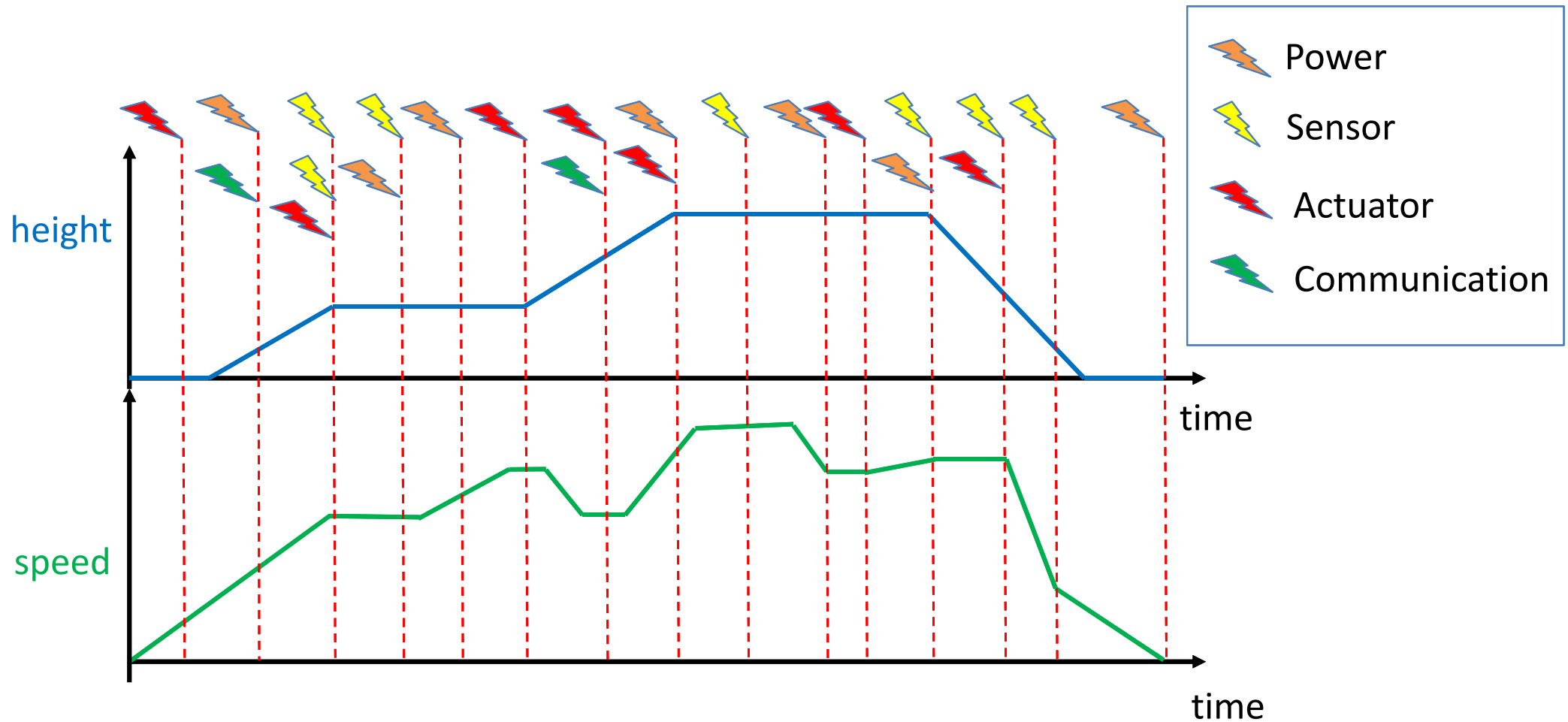


**Better (also more
cost effective) idea
Equivalence to be
demonstrated!**



**To be
performed
using CAN**

Additional tests



Testing has better chance to be successful if multiple events occur simultaneously!

Conclusion

- Cost of testing can be significantly reduced
- HiL systems are a good solution
 - High cost, but can be reused
 - Low cost solutions are possible
 - Multiple events can be generated
 - Data can be logged

Discussion
